



Intelligent Image Acquisition of License Plate Image Using Kernel Estimation Algorithm

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ABSTRACT: As the unique recognizable proof of a vehicle, license plate is a key hint to unveil over-celerity vehicles or the ones required in hit and run mishaps. Anyhow, the snapshot over-celerity vehicle caught by surveillance camera is much of the time quick movement, which is even unrecognizable by human. Those watched plate images are usually in low determination and suffer severe loss of edge data which cast awesome test to existing visually impaired deblurring techniques. For license plate image blurring brought about by quick movement, the blur kernel can be viewed as linear uniform convolution and parametrically modelled with angle and length. In this paper, we propose a novel plan in view of sparse representation to identify the blur kernel. By investigating the sparse representation coefficients of the recuperated image. We decide the angle of kernel view of the perception that the recuperated image has the most sparse representation when the kernel angle relates to the genuine movement angle. At that point, we evaluate the length of the movement kernel with Linear Interpolation. Our plan can well handle substantial movement kernel blur even when the license plate is unrecognizable by human. We assess our approach on genuine images and contrast and a few prevalent best in class blind image deblurring algorithms. Experimental result show the predominance of our proposed approach in terms of adequacy and strength.

KEYWORDS: Blur Kernel estimation, license plate deblurring, linear motion blur, linear interpolation sparse representation.

I. INTRODUCTION

License plate is the unique recognizable proof of every vehicle and plays a huge part in bad position creator vehicle. These days, there are loads of auto-celerity location catch frameworks for pretty criminal offense on the fundamental streets of urban communities and high-ways. Anyhow, the movement of vehicle during the presentation time would bring about blur of snapshot image. In this way, the presentation time (shade speed) has huge way on the measure of blur. For video shooting, the presentation time is largely dependent on the enlightenment circumstances. In common outside scene with daylight, the ordinary presentation time is around 1/300 second. For a vehicle running at 60miles per hour, amid the presentation time, the relocation of license plate is around 9 centimetres which is similar with the size of the license plate(14 × 44 centimetres in china), i.e., the length of the kernel is around 45 pixels when the license plate image is with size of 140 × 440 pixels and the angle between camera imaging plane and flat plan is around 60 degree. In such a situation, the blur of license plate cannot be dismissed. In an perfect situation with sound enlightenment, the blur from shorter presentation time, say, 1/1000 second, can be minor and may not harm the semantic data. Anyhow, under poor enlightenment circumstances, the camera needs to delay the presentation time to acquire a completely uncovered image, which effectively causes the movement blur. Furthermore, for high-determination digital cameras, fast videography is likewise defenceless to movement blur [1]-[2]. At the angle when the vehicle is over-celebrated. Generally, a license plate location system has to solve problems: where a license plate located and how long it is. Usually, the candidate position of characters in the license plate is determined later. There are many challenges in license plate location in an open environment, such as various observation angles from cameras, differently sized license plates and poor image quality from uneven lighting conditions [3]-[6].In the most recent decades, blind image



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Vol. 4, Issue 10, October 2016

deblurring / deconvolution (BID) has picked up loads of consideration from the image handling group. Mathematically, the model of image blurring can be defined as:

$$B(a, b) = (M * S)(a, b) + N(a, b) \quad \text{eq. (1)}$$

Where B, S and M mean the blurred image, the sharp image we expect to recoup, and the blur kernel, individually; N is the added substance clamour (typically viewed as white Gaussian commotion); and * signifies convolution administrator. For BID, the kernel M and sharp image S are both unknown. As indicated by whether the kernel M is spatially – invariant or not, the BID issue can be isolated into two classifications: uniform BID and non-uniform BID. For uniform BID, the kernel M is frequently called angle spread capacity. Lately, numerous compelling BID algorithm have been proposed. The greater kernel of them all the while estimate kernel from the blurred image and apply a non-blind image deblurring (NBID) algorithm recursively to approach the true solution[6-10].The difficulties for license plate deblurring lie in three aspects.

- 1) The surveillance camera is normally intended for catching a major scene that include that incorporates an entire vehicle, in this way, the license plate just involves a little area of the entire image. This prompts lacking angles of interest for kernel estimation.
- 2) The substance of license plate image is very simple, most of edges lie in even and vertical headings. Hence, the techniques taking into account isotropy suspicion [12] may likewise not work well for license plate image.
- 3) To produce satisfactory results only one small number of selected images. The poor robustness has severely hindered the applicability of the deblurring techniques to real-world applications[13]

In this paper, we elaborate on the above mentioned properties. In section II, we summarize some of the existing methods about BID and blur kernel estimation. In section III, we discuss how to derive the beneficial property of sparse representation coefficient and present our blur kernel estimation in detail. Deblurring results and comparing experiments with the best in class blind image deblurring algorithms are provided in section IV. Finally, conclusion is provided in section V.

II. RELATED WORK

A. HIGH-QUALITY MOTION DEBLURRING FROM A SINGLE IMAGE:

we present a new algorithm for removing movement blur from a single image. Our method computes a deblurred image using a unified probabilistic model of both blur kernel estimation and unblurred image restoration [7]. These terms include a model of the spatial randomness of noise in the blurred image, as well as a new local smoothness and exhibits low contrast. In the most decades ago, but are still widely used in many image restoration tasks nowadays because they are simple and efficient. Most non-blind deconvolution methods require complex parameter settings and long computation times. A successful motion deblurring method, thus makes it possible to take advantage of information that is currently buried in blurred images, which may find 3D reconstruction and video editing. Our main contributions are an effective model for image noise that accounts for its spatial distribution and local prior to suppress ringing artifacts.

B. UNDERSTANDING AND EVALUATING BLIND DECONVOLUTION ALGORITHMS

Blind deconvolution is the recovery of a sharp version of a blurred image when the blur kernel is unknown. The goal of this paper is to analyze and evaluate recent blind deconvolution algorithms both theoretically and experimentally. We explain the previously reported failure of the naive MAP approach by demonstrating that it mostly favours no-blur explanations[11]. Blind deconvolution can be performed iteratively, whereby each iteration improves the estimation of the PSF and the scene or non iteratively, where one application of the algorithm, based on exterior information extracts the PSF.

C. TEXT IMAGE DEBLURRING USING TEXT-SPECIFIC PROPERTIES

State-of-the-art blind image deconvolution approaches have difficulties when dealing with text images, since they rely on natural image statistics which do not respect the special properties of text images. On the other hand,

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(An ISO 3297: 2007 Certified Organization)

Vol. 4, Issue 10, October 2016

previous document image restoring systems and the recently proposed black-and white document image deblurring method are limited, and cannot handle large motion blurs and complex background. Our method extends the commonly used optimization framework for image deblurring to allow domain-specific properties to be incorporated in the optimization process. Novel text image deblurring approaches do work well on text images. Deblurring quality of text images is high. This method is used to enforce the domain-specific properties on the latent image[15].

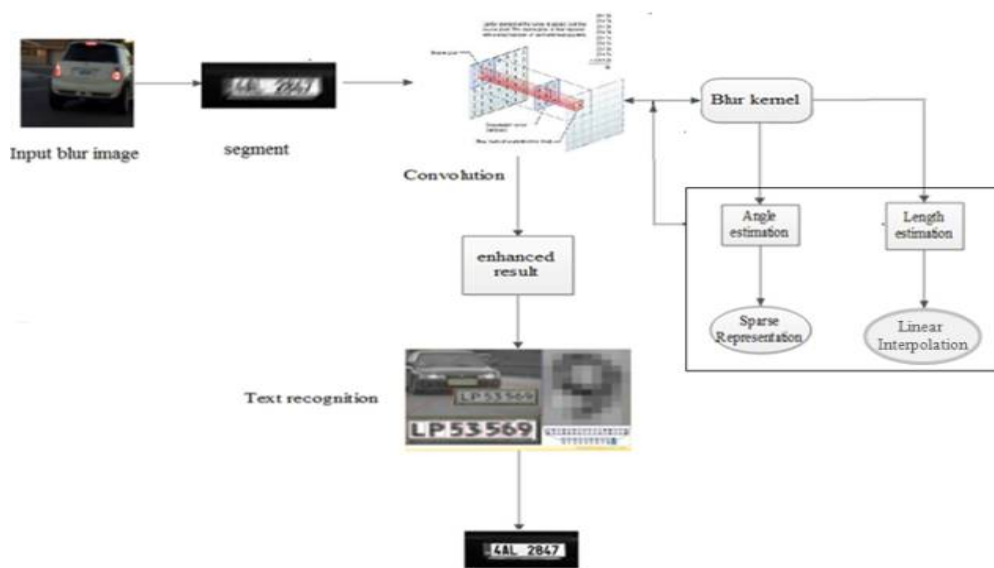


Fig .1: Text recognition architecture

III. METHODOLOGY

Blur kernel estimation

Generally, the blur kernel depends upon the relative motion involving the movement vehicle and fixed surveillance camera during the presentation time. In the event presentation time is very short and the vehicle is moving very quick, the movement can be regarded as step-wise and the speed can be considered as around constant. In such instances, the blur kernel of license plate image can be made as a linear of license uniform kernel with two variables: angle and length [14]. In the pursuing section III-A, we expose how to use sparse representation on over-complete book to evaluate the angle of kernel strength. Behind the angle estimation, in section III-B, linear interpolation method is proposed to estimate the length of kernel. At last, we summarize our algorithms in details in section III-C & III-D.

A. Angle estimation

Sparse representation coefficients show great potential in the angle estimation of linear uniform kernel. A natural extension is to apply it to the length inference. The problem solved by the sparse representation is to search for the most compact representation of a signal in terms of linear combination of pixels in an over complete dictionary. Sparse representation works well in applications where the original signal needs to be reconstructed as accurately as possible, such as denoising, image in painting and coding.

$$(V, I) = \underset{I}{\operatorname{argmin}} \left\{ -\log p(I) + \frac{\lambda}{2} \|M_{\Theta} * S - B\|_1 \right\} \quad (2)$$

Where B is the blurred image, I denotes the latent image to be recovered, M_{Θ} is the linear uniform movement kernel determined by angle Θ and $p(I)$ is the prior of the sharp image.

$$V = \underset{\beta}{\operatorname{argmin}} \sum |\beta_i|$$

$$s. t. \Psi_i Y = D \beta_i$$

$$Y = \frac{\operatorname{argmin}}{\alpha} \left\{ \|I\|_{TV} + \frac{\lambda}{2} \|M_{\Theta} * S - B\|_1 \right\} \quad (3)$$

Where D is pre-learned over-complete dictionary on the sharp license plate image, Ψ_i is the patch extraction operator, and α_i is the sparse representation coefficients of the i th patch. The key to solve Eq. (3) is to estimate the gradient

International Journal of Innovative Research in Computer and Communication Engineering

(An ISO 3297: 2007 Certified Organization)

Vol. 4, Issue 10, October 2016

$\frac{\partial \sum |\alpha_i|}{\partial}$. However, it is difficult to directly solve such a two-layer optimization problem. In order to investigate the relation between $\sum |\alpha_i|$. We first solve the following optimization problem.

$$Y = \underset{l}{\operatorname{argmin}} \left\{ \|I_{TV} + \frac{\lambda}{2} |M_{\theta} * S - B| \right\} \quad (4)$$

Then the sparse representation coefficient $\sum |\alpha_i|$ can be computed by solving:

$$\begin{aligned} & \min \sum |\alpha_i| \\ & \text{s. t. } \Psi_i Y = D \alpha_i \quad (5) \end{aligned}$$

Here, for simplicity, we define $C = \sum |\alpha_i|$. $C(n, m)$ can be regarded as a function of kernel parameters (n, m) .

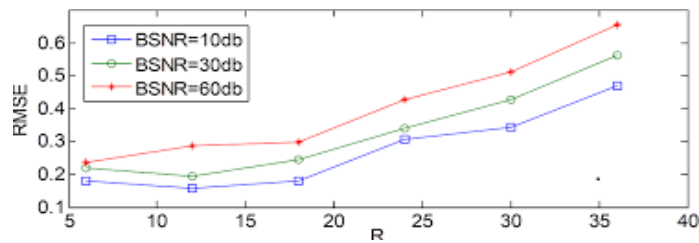


Chart . 1: Angle Estimation

B. LENGTH ESTIMATION

For BID, Linear interpolation is proposed to estimate the motion blur kernel, especially when the observed image is corrupted by noise. In our length estimation algorithm, we adopt the modified Linear interpolation which only considers the center area of blurred image.

Linear interpolation is used to estimate the blur kernel in spatial-temporal domain. The Linear interpolation represents an image as a collection of projections along various directions. The Linear interpolation is the projection of the image intensity along a radial line oriented at a specific angle.

C. CONVOLUTION

Convolution is an important operation in signal and image processing. Convolution operates on two images and the other called the kernel on the input image, producing an output image (so convolution takes two images as input and produces a third as output). The input blur is convoluted with the blur kernel to get the enhanced output. The blur kernel can be viewed as linear uniform convolution and parametrically modeled with angle and length. The angle is estimated using the sparse representation and the length using the Linear interpolation.

D. TEXT RECOGNITION

Blur kernel estimation can be regarded as searching the best solution in a large blur kernel space. The license plate blur should be considered as the linear blur. The text is recognized after deblurring the license plate. The angle is estimated using the sparse representation and length using linear interpolation. The angle and length of kernel is estimated and convoluted with an input blur image. The kernel is estimated to find the enhanced output image. The enhanced output image contains the semantic information.

IV. PSEUDO CODE

COARSE ANGLE ESTIMATION

Input: Blurred image B, step Δ , initial angle θ_0 , a moderate length m, $s = 0$

Step 1 : **while** not converged **do**

Step 2 : Generate uniform linear kernel $M_{n, \theta_m}, M_{n, \theta_m - \Delta}, M_{n, \theta_m + \Delta}$

Step 3 : Solve eq. (5) with kernels $M_{n, \theta_m}, M_{n, \theta_m - \Delta}, M_{n, \theta_m + \Delta}$, get deblurred images $S_{n, \theta_m}, S_{n, \theta_m - \Delta}, S_{n, \theta_m + \Delta}$

International Journal of Innovative Research in Computer and Communication Engineering

(An ISO 3297: 2007 Certified Organization)

Vol. 4, Issue 10, October 2016

Step 4 : solve eq. (6) with $C_{n, \theta_m}, C_{n, \theta_m - \Delta}, C_{n, \theta_m + \Delta}$, get $C_{n, \theta_m}, C_{n, \theta_m - \Delta}, C_{n, \theta_m + \Delta}$
 Step 5 : **if** $C_{n, \theta_m} = \min(C_{n, \theta_m}, C_{n, \theta_m - \Delta}, C_{n, \theta_m + \Delta})$
 Step 6 : converged and return
 Step 7 : **else if** $C_{n, \theta_m - \Delta} = \min(C_{n, \theta_m}, C_{n, \theta_m - \Delta}, C_{n, \theta_m + \Delta})$
 Step 8 : $\theta_m \leftarrow \theta_m - \Delta$
 Step 9 : **else**
 Step 10 : $\theta_m \leftarrow \theta_m + \Delta$
 Step 11 : **end while**
Output: θ_m

FINE ANGLE ESTIMATION

Input: Blurred image B, the output of algorithm 1 θ , a moderate length n

Step 1 : Generate a series of pair (Θ_i, n_i) that center about (Θ, n)
 Step 2 : Solve eq. (4) with kernel M_i , get S_i
 Step 3 : Solve eq. (5) with S_i , get C_i
 Step 4 : Sort C_i by increasing order
 Step 5 : Get the top-M C_i and the corresponding Θ_i

Output: The average of top-M Θ_i

In both algorithms 1 and 2, it is critical to solve eq. (4) and (5).

V. SIMULATION AND RESULT

In this section, we compare the proposed method with several existing best in class blind image deblurring methods on real blurred plated images. The parameter settings and computational complexity are also discussed in detail.

For eq. (4), λ is set as 500. We find that λ can vary in a wide range without notable impact on the final deblurred results. In the coarse angle estimation stage, the step Δ is 5 considering the robustness and computing complexity. Another parameter is the starting angle Θ . For over-speed car license plate blur, the angle of motion kernel is usually in the range [40, 140].

In the fine angle estimation stage, centering at the output Θ of the last module, we generate a series of parameter pairs (Θ_i, l_i) , where the length l_i lies in the range [25,49] with step size 3, and Θ_i lies in the range $[\Theta - 10, \Theta + 10]$ with step size 5. That means we have 45 images to apply NBID and sparse coding algorithm.

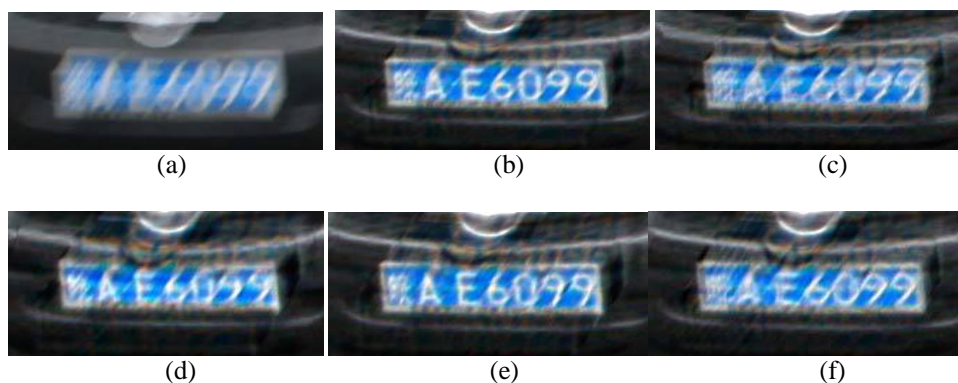


Fig. 2 . Blurred image example.

The image size is 224×140 , and our estimated kernel parameters are $(\Theta = 89.67, l = 30.87)$. Top-left is the observed license plate image. Top-middle is our recovered result. The other four images are the results acquired by modifying the kernel parameters with small bias on the estimated angle or length. (a) blurred image. (b) $(\Theta = 89.67^\circ, l = 30.87)$. (c) $(\Theta = 89.67^\circ, l = 31.87)$. (d) $(\Theta = 89.67^\circ, l = 41.87)$.



International Journal of Innovative Research in Computer and Communication Engineering

(An ISO 3297: 2007 Certified Organization)

Vol. 4, Issue 10, October 2016

(e) ($\Theta = 89.67^\circ, l = 30.87$). (f) ($\Theta = 89.67^\circ, l = 30.87$)

TABLE I: Recognition Rate Of Different BID Methods

BID schemes	Recognition Rate
Unprocessed images	9.10%
NSBD[52]	18.18%
TPISD/USR [8], [10]	43.18%
Proposed algorithm	89.55%

TABLE II : Running Time Of Different Methods

BID schemes	Running time(S)
TPISD/USR [8], [10]	45.68
NSBD [52]	11.84
FSR [17]	135.23
HQMD [7]	736.89
Proposed algorithm	347.95

The performance improvement on recognition rate is shown in Table I. Apparently, the recognition rate is notably improved after deconvolution and the proposed algorithm achieves the highest recognition rate.

In our scheme, the fine angle estimation stage is the most time consuming. Table II shows used linear interpolation. One advantage of our algorithm is that our model can handle very large blur kernel. As shown by experiments in section IV, for license plate can be recognized by the running time of the different blind image deblurring algorithms on a real blurred plate image with size of about 200×300 .

VI. CONCLUSION

In this paper, we propose a text recognition of license plate image using kernel estimation has been implemented. The sparse representation coefficient with angle is uncovered and exploited. The length estimation is completed by exploring well-human, the deblurred result becomes is more robust. Experiments on a large set of images have shown that it produces high-quality results.

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