

(An ISO 3297: 2007 Certified Organization) Vol. 3, Issue 12, December 2015

VLSI Architecture for Urdhwa Multiplier using XOR-XNOR based 4:2 Compressors

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ABSTRACT: With the advent of new technology in the fields of VLSI and communication, there is also an ever growing demand for high speed processing and low area design. It is also a well-known fact that the multiplier unit forms an integral part of processor design. Due to this regard, high speed multiplier architectures become the need of the day. In this paper, we have developed three designs for Urdhwa Multiplier. In first design we have developed 5:3 compressors based on full adder and utilization in term of 42 delays and 21 areas. In second design we have developed 5:3 compressors based on XOR gate and utilization in term of 36 delays and 24 areas. In third design we have developed 5:3 compressors based on full adder and utilization in term of 28 delays and 18 areas. This all design and experiments were carried out on a Xilinx Vertex-7 series of FPGA and the timing and area of the design, on the same have been calculated.

KEYWORDS: 4:2 Compressor based on Full Adder, 4:2 Compressor based on XOR Gate, 4:2 Compressor based on XOR-XNOR Gate.

I. INTRODUCTION

Digital signal processing (DSP) is the mathematical manipulation of an information signal to modify or improve it in some way. It is characterized by the representation of discrete time, discrete frequency, or other discrete domain signals by a sequence of numbers or symbols and the processing of these signals [1].

The goal of DSP is usually to measure, filter and/or compress continuous real-world analog signals. The first step is usually to convert the signal from an analog to a digital form, by sampling and then digitizing it using an analog-todigital converter (ADC), which turns the analog signal into a stream of numbers. However, often, the required output signal is another analog output signal, which requires a digital-to-analog converter (DAC). Even if this process is more complex than analogprocessing and has a discrete value range, the application of computational power to digital signal processing allows for many advantages over analog processing in many applications, such as error detection and correction in transmission as well as data compression. DSP algorithms have long been run on standard computers, as well as on specialized processors called digital signal processor and on purpose-built hardware such as applicationspecific integrated circuit (ASICs). Today there are additional technologies used for digital signal processing including more powerful general purpose microprocessors, field-programmable gate arrays (FPGAs), digital signal controllers (mostly for industrial apps such as motor control), and stream processors, among others [2-3].

II. URDHWA MULTIPLIER

Vedic mathematics is an ancient fast calculation mathematics technique which is taken from historical ancient book of wisdom. Vedic mathematics is an ancient Vedic mathematics which provides the unique technique of mental calculation with the help of simple rules and principles. Swami Bharati Krishna Tirtha (1884-1960), former JagadguruSankaracharya of Puri culled set of 16 Sutras (aphorisms) and 13 Sub - Sutras (corollaries) from the Atharva Veda. He developed methods and techniques for amplifying the principles contained in the formulas and their sub-formulas, and called it Vedic Mathematics. According to him, there has been considerable literature on Mathematics in the Veda-sakhas.

Vedic mathematics is part of four Vedas (books of wisdom). It is part of Sthapatya- Veda (book on civil engineering and architecture), which is an upa-veda (supplement) of Atharva Veda. It covers explanation of several modern



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mathematical terms including arithmetic, geometry (plane, co-ordinate), trigonometry, quadratic equations, factorization and even calculus.

• 4:2Compressor based on Full Adder

To add binary numbers with minimal carry propagation we use compressor adder instead of other adder. Compressor is a digital modern circuit which is used for high speed with minimum gates requires designing technique. This compressor becomes the essential tool for fast multiplication adding technique by keeping an eye on fast processor and lesser area.

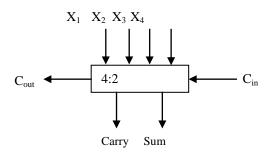
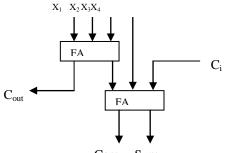


Figure 1: Block Diagram of 5:3 Compressors

4:2 compressors are capable of adding 4 bits and one carry, in turn producing a 3 bit output. The 5:3 compressors has 4 inputs G_1 , G_2 , G_3 and G_4 and 2 outputs Sum and Carry along with a Carry-in (Cin) and a Carry-out (Cout) as shown in Figure 1. The input Cin is the output from the previous lower significant compressor.

The Cout is the output to the compressor in the next significant stage. The critical path is smaller in comparison with an equivalent circuit to add 5 bits using full adders and half adders. The 5:3 compressors is governed by the basic equation

 $X_1 + X_2 + X_3 + X_4 + C_{in} = Sum + 2 * (Carry + C_{out}) (1)$



Carry Sum

Figure 2: 4:2Compressors based on Full Adder

The standard implementation of the 5:3 compressors is done using 2 Full Adder cells as shown in Figure 2.

• 5:3 Compressor based on XOR Gate

When the individual full Adders are broken into their constituent XOR blocks, it can be observed that the overall delay is equal to 4*XOR. The block diagram in figure 3 shows the existing architecture for the implementation of the 5:3 compressor with a delay of 3*XOR. The equations governing the outputs in the existing architecture are shown below

$$Sum = X_1 \oplus X_2 \oplus X_3 \oplus X_4 \oplus C_{in} \qquad (2)$$



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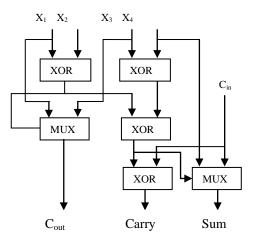


Figure 3: 4:2 Compressors based on XOR Gate

$$C_{out} = (X_1 \oplus X_2) \cdot X_3 + (\overline{X_1 + X_2}) \cdot X_3 \quad (3)$$
$$Carry = (X_1 \oplus X_2 \oplus X_3 \oplus X_4) \cdot C_{in} + (\overline{X_1 \oplus X_2 \oplus X_3 \oplus X_4}) \cdot X_4 \quad (4)$$

• Compressor based on XOR Gate

Thus replacing some XOR blocks with multiplexer's results in a significant improvement in delay. Also the MUX block at the SUM output gets the select bit before the inputs arrive and thus the transistors are already switched by the time they arrive. This minimizes the delay to a considerable extent. This is shown in figure 4.

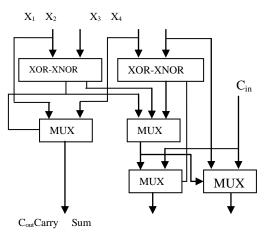


Figure 4: 4:2 Compressors based on XOR-XNOR Gate

The equations governing the outputs in the proposed architecture are shown below

$$Sum = (X_1 \oplus X_2) \cdot (X_3 \oplus X_1) \top (X_1 \oplus X_2) \cdot (X_3 \oplus X_1) \cdot C_{in} (5)$$
$$C_{out} = (X_1 \oplus X_2) \cdot X_3 + (\overline{X_1 + X_2}) \cdot X_1 (6)$$
$$Carry = (X_1 \oplus X_2 \oplus X_3 \oplus X_4) \cdot C_{in} + (\overline{X_1 \oplus X_2 \oplus X_3 \oplus X_4}) \cdot X_4 (7)$$



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• 7:2Compressor

Similar to its 4:2 compressor counterpart, the 7:2 compressors as shown in figure 5, is capable of adding 7 bits of input and 2 carry's from the previous stages, at a time.

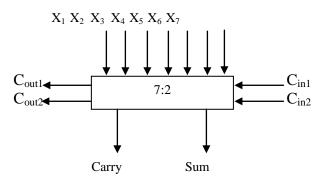


Figure 5: Block Diagram of 7:2 Compressors

In our implementation, we have designed a novel 9:4 compressor utilizing two 5:3 compressors, two full adders and one half adders. The architecture for the same has been shown in Figure 6.

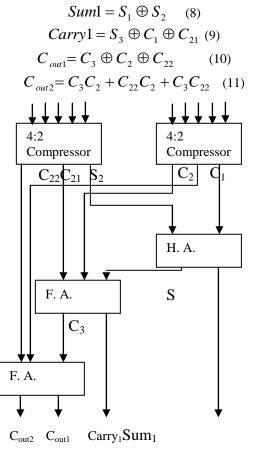


Figure 6: 7:2 Compressor using 4:2 Compressor



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III. DELAY AND AREA EVALUATION METHODOLOGY

The delay and area evaluation methodology considers all gates to be made up of AND, OR, and Inverter (AOI), each having delay equal to 1 unit and area equal to 1 unit.

Adder Blocks	Delay	Area
XOR	3	5
2:1 MUX	3	4
Half Adder	3	6
Full Adder	6	13

Table 1: Delay and Area Count of the Basic Blocks of Urdhwa Multiplier

We then add up the number of gates in the longest path of a logic block that contributes to the maximum delay. The area evaluation is done by counting the total number of AOI gates required for each logic block.

Architecture	No. of Gate	Delay
	Count	
5:3 Compressor based on	42	21
Full Adder		
9:4 Compressor	116	57
Compressor based	1132	591
Urdhwa Multiplier		
5:3 Compressor based on	36	24
XOR Gate		
Modified 9:4	104	63
Compressor		
Modified Compressor	1012	654
based Multiplier		
5:3 Compressor based on	28	18
XOR-XNOR Gate		
Proposed 7:3	88	51
Compressor		
Proposed	852	531
Compressor based		
Multiplier		

Table II: Delay and Area Count of the of Urdhwa Multiplier



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IV. SIMULATION RESULT

We functionally verified each unit presented in this paper including all three 4:2 Compressor, 7:2 Compressor, Compressor based Urdhwa multiplier. We have been found from the results shown in Table 3 respectively, that number of slices used is same in case of 4:2 compressor based on Full adder and 4:2 compressor based on XOR gate which is less than slices used in 4:2 compressor based on XOR-XNOR gate.

Design	No. of	No. of 4	MCPD
	slices	input LUTs	(ns)
Urdhwa Multiplier	108	190	25.816
(Full Adder)			
Urdhwa Multiplier	88	158	21.011
(XOR Gate)			
Urdhwa Multiplier	78	143	20.951
(XOR-XNOR Gate)			

Table 3: Device utilization summary (Vertex-4) of Urdhwa multiplier

V. CONCLUSION AND FUTURE WORK

Among all three designs, proposed Urdhwa multiplier based on XOR-XNOR gate provides the least amount of Maximum combinational path delay (MCDP). Also, it takes least number of slices i.e. occupy least area among all three design.

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